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Various attempts to fit BRASS II experimental bottom loss data using a three-layer model (reference (c)) have indicated, in accordance with Mackenzie, that the attenuation should be extrapolated using the first power of the frequency. This use of a three-layer model requires that the thickness of the first sediment layer be known, but since this thickness is usually varied parametrically, it can be argued that another theoretical combination of attenuation and thickness could produce the same results. The BRASS II Station V, (Fig. 1) presents an unusual case. The well defined bottom loss curve and small standard deviation for each point allow a reasonable layer thickness to be calculated from the angular spacing of the interference peaks (see Appendix A). Theoretical curves were then computed considering the attenuation proportional to the one-half, first, and second power of the frequency, and are compared with Station V bottom loss data in Figures 2 - 4. The curve corresponding to a linear frequency dependence clearly provides the best fit to the data.

Further evidence for this linear frequency-attenuation relationship is supplied by comparisons of Fry's (reference (d)) Pacific bottom loss curves and theoretical curves computed using such a relationship (Figures 5 - 10). These comparisons are shown, not to imply that the theoretical values match the data, but merely to indicate that the theoretical and experimental curves change similarly with varying frequency. Since the Pacific data was analyzed using logit filters, discrete frequency interference patterns can not be expected.

THE FREQUENCY DEPENDENCE OF BOTTOM LOSS

Although bottom loss is usually considered frequency dependent, the loss for some areas appears nearly independent of frequency over a wide range (references (e) and (f)). In contrast, bottom reverberation, which should correlate with bottom loss, is found independent of frequency with one or two exceptions (reference (g)). Such excursions from the ordinary, however, follow directly from a linear frequency-attenuation relationship.

It is advantageous at this point to re-examine the equations presented in reference (c) for the three-layer model of the ocean bottom. Attenuation was introduced into the second and third layers

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of this model by considering the respective layer velocities to be complex and of the following form:

$$C_2 = |C_2| (\cos \phi_2 - i \sin \phi_2)$$

and

$$C_3 = |C_3| (\cos \phi_3 - i \sin \phi_3)$$

where

and

If it is now assumed that the attenuation is proportional to the frequency, the frequency terms cancel, and we obtain:

and

where K₂ and K₃ are constants. Thus the layer complex velocities and hence the layer reflection coefficients, given by:

$$R_1 = \frac{\frac{\mathcal{P}_2 C_2}{\cos \theta_2} - \frac{\mathcal{P}_1 C_1}{\cos \theta_1}}{\frac{\mathcal{P}_2 C_2}{\cos \theta_2} + \frac{\mathcal{P}_1 C_1}{\cos \theta_1}}$$

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become independent of frequency. It should be noted that the steadystate reflection coefficient still contains a frequency-attenuation term by taking the ratio of layer thickness to complex wavelength into account.

A discussion of bottom loss in view of these results is now warranted. In areas where the water-sediment interface is the dominant reflector, the bottom loss will depend mostly on the reflection coefficient, R_1 , and will be independent or nearly independent of frequency, but in areas where most of the energy enters the bottom and is reflected from a sub-bottom layer, the bottom loss then becomes frequency dependent due to the ratio of layer thickness to complex wavelength mentioned above. In other words, in areas where the immediate bottom consists of a high velocity sand or silt sediment, the bottom loss will approach frequency independence, but in areas where these sand or silt layers underlie a low velocity sediment layer of clay or silt, the bottom loss will be frequency dependent. In these latter areas, which appear to dominate the deep ocean, this frequency effect will slowly damp out with increasing frequency (see Figures 11 - 19).

The good agreement obtained between theoretical and BRASS II Station V bottom loss values has prompted the computation of theoretical bottom loss curves for this area at other frequencies of interest in sonar operation and design. These curves are presented as Figures 11 - 19. Since the BRASS II Station V data represents the lowest bottom loss values at 4.5 kc for deep water areas, the theoretical curves presented for other frequencies should be regarded as minimum and not average bottom loss curves for these frequencies.

CONCLUSIONS

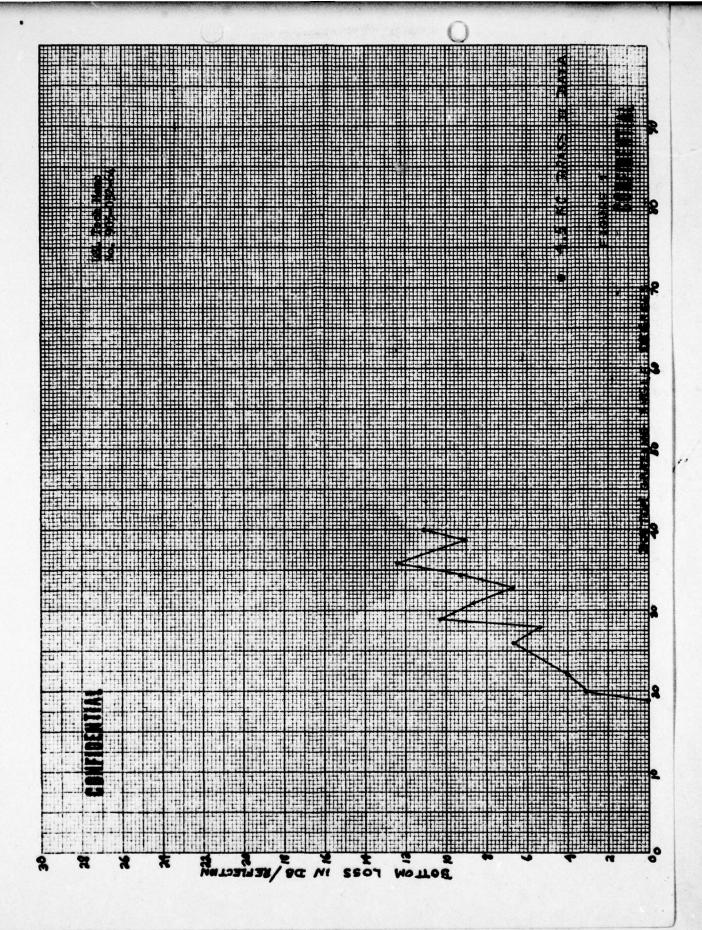
Marine sediment attenuation coefficients for sonar frequencies can be accurately determined from measurements at higher frequencies by assuming that the attenuation varies as the first power of the frequency. It follows from this linear relation that bottom loss will approach frequency independence in areas where bottom penetration is negligible, and will be frequency dependent where major energy contributions are received from a reflector at some depth in the sediment.

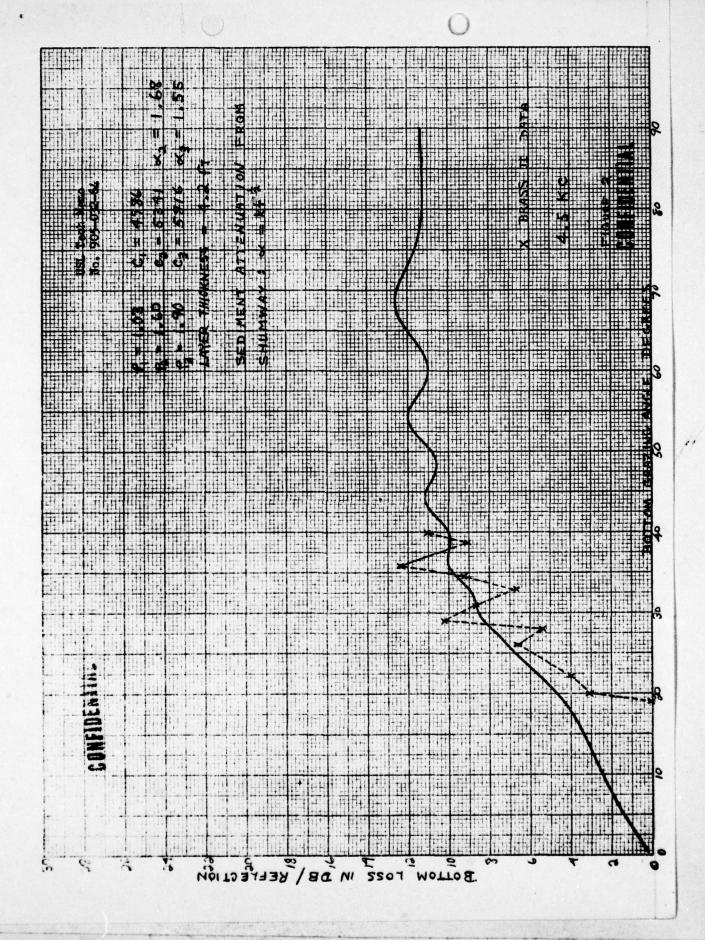
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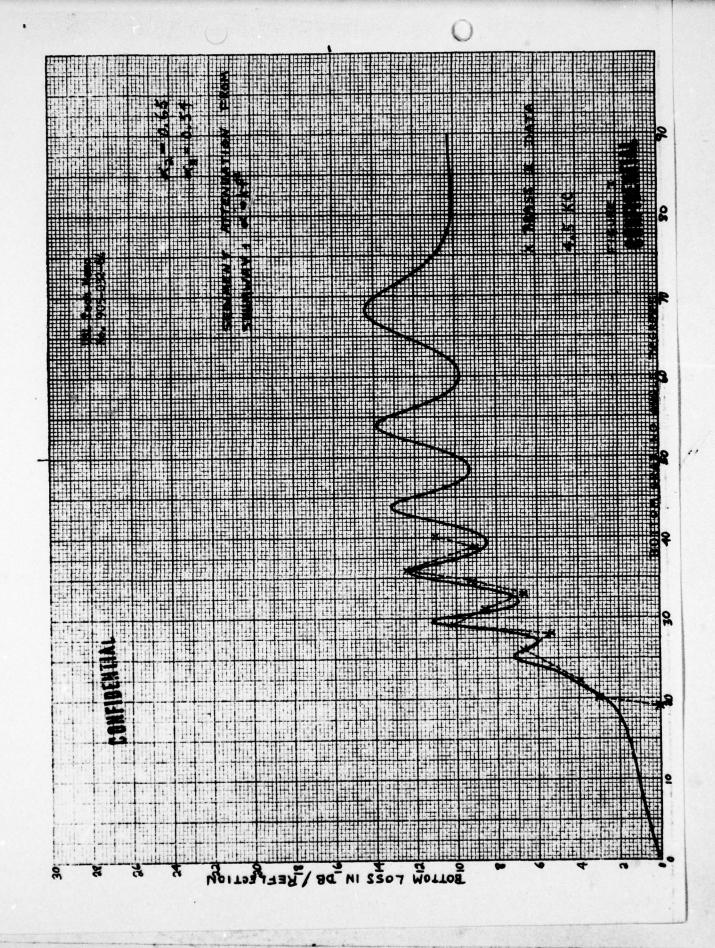
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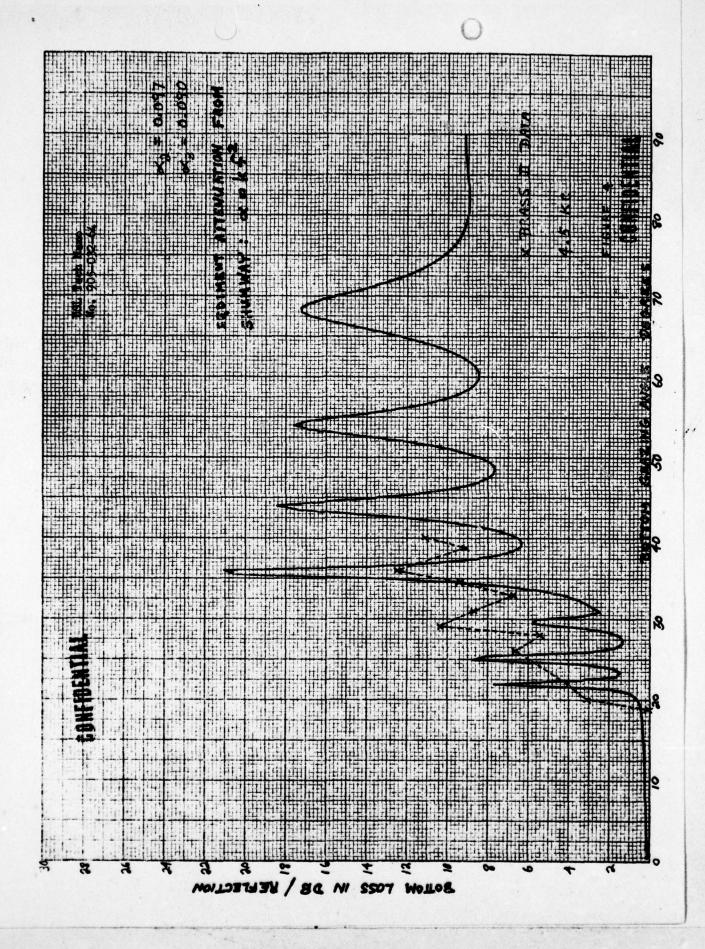
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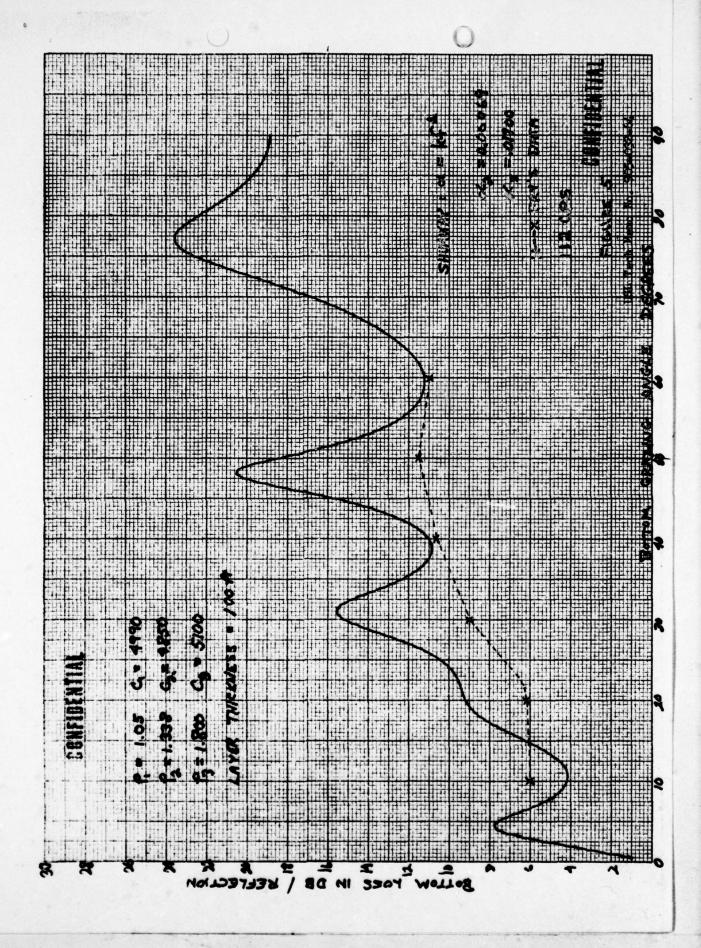
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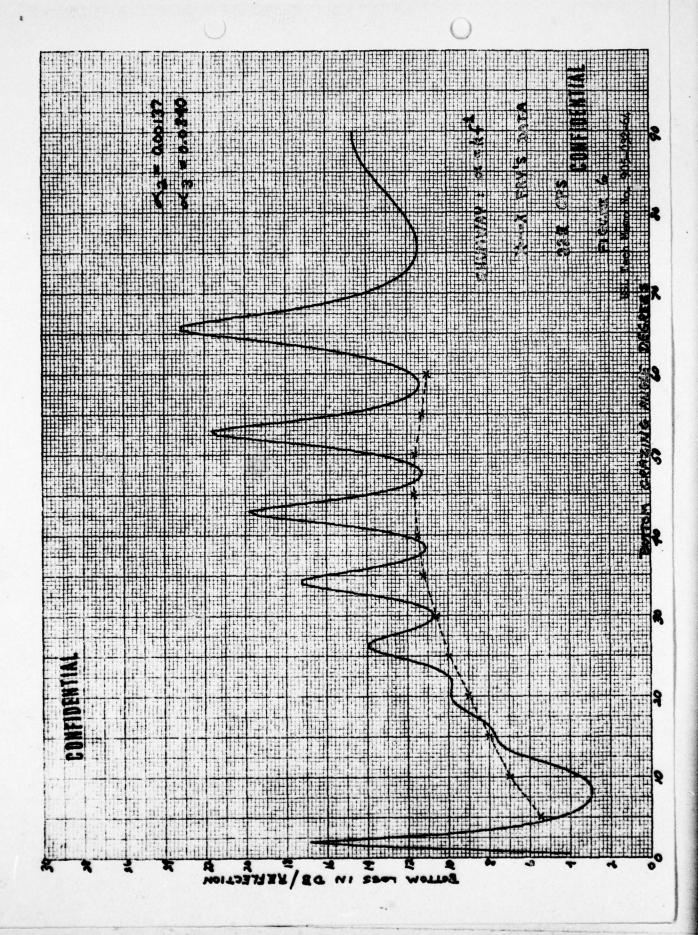


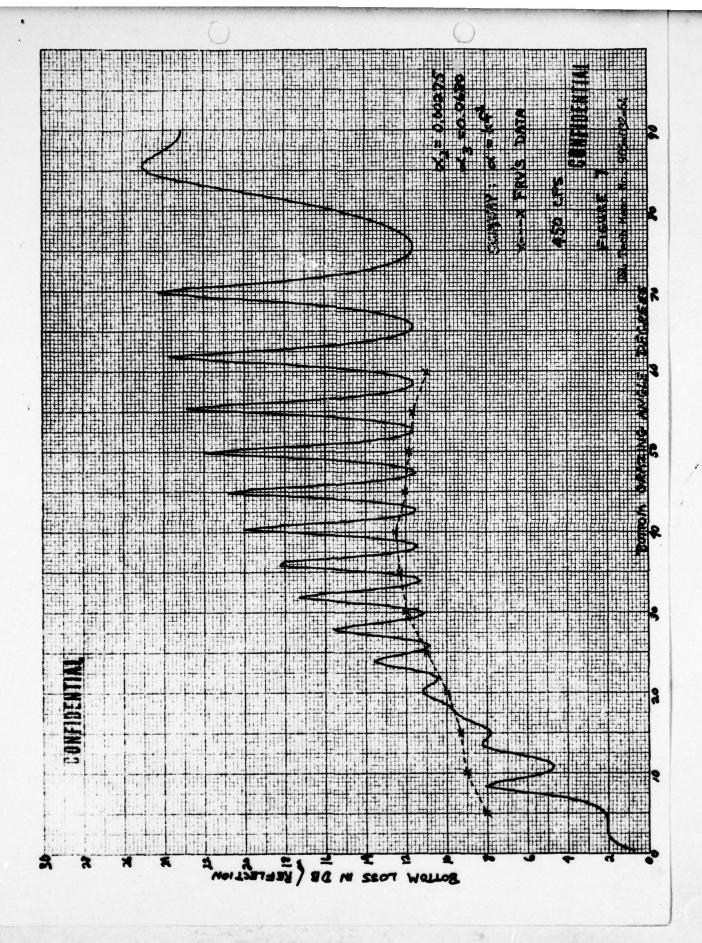


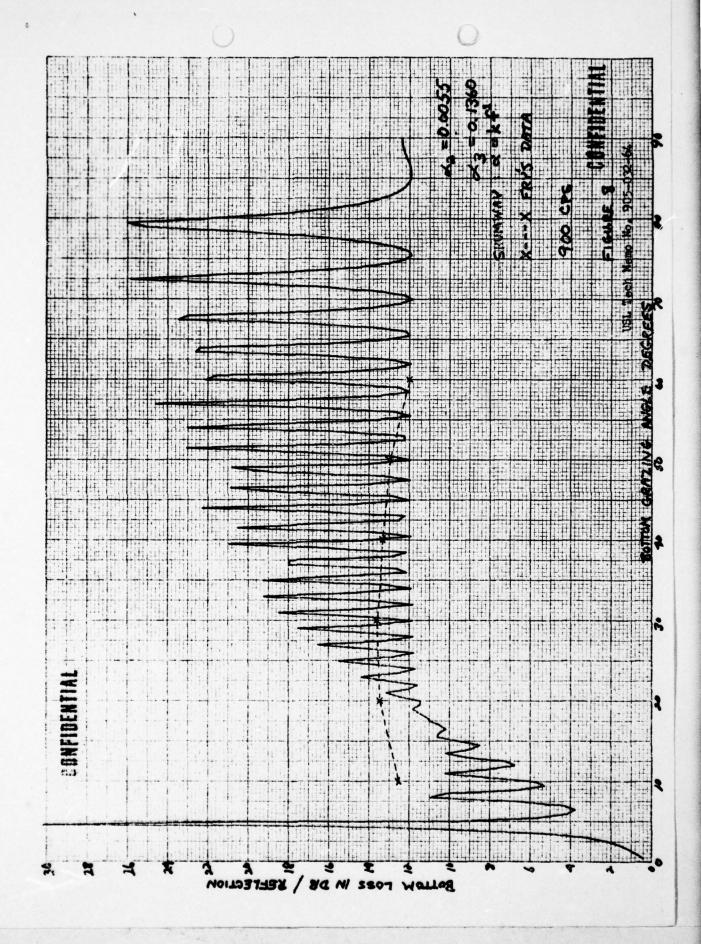


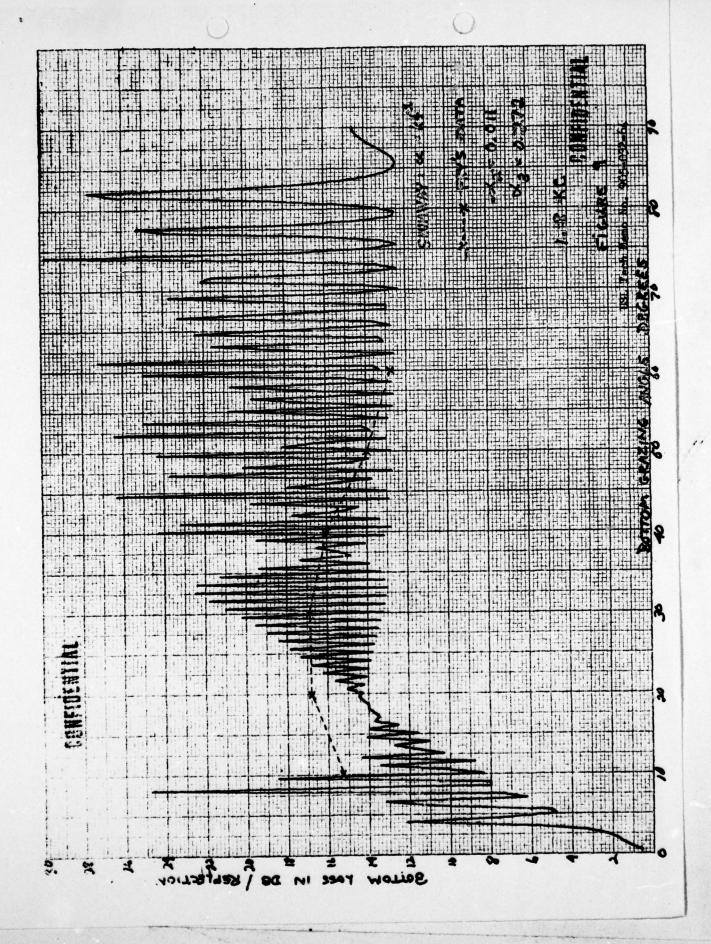


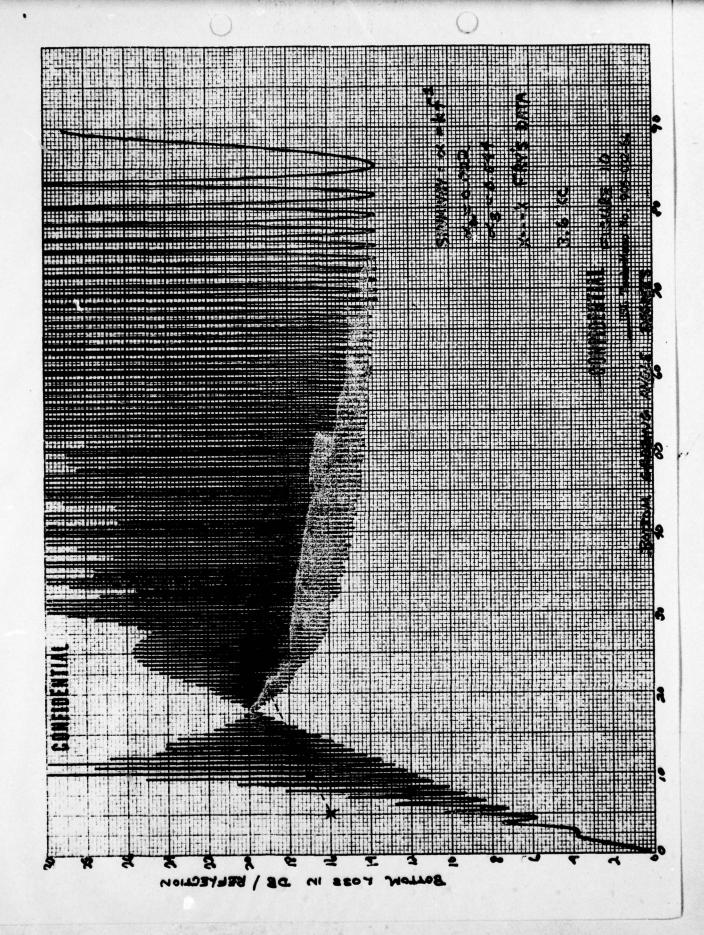


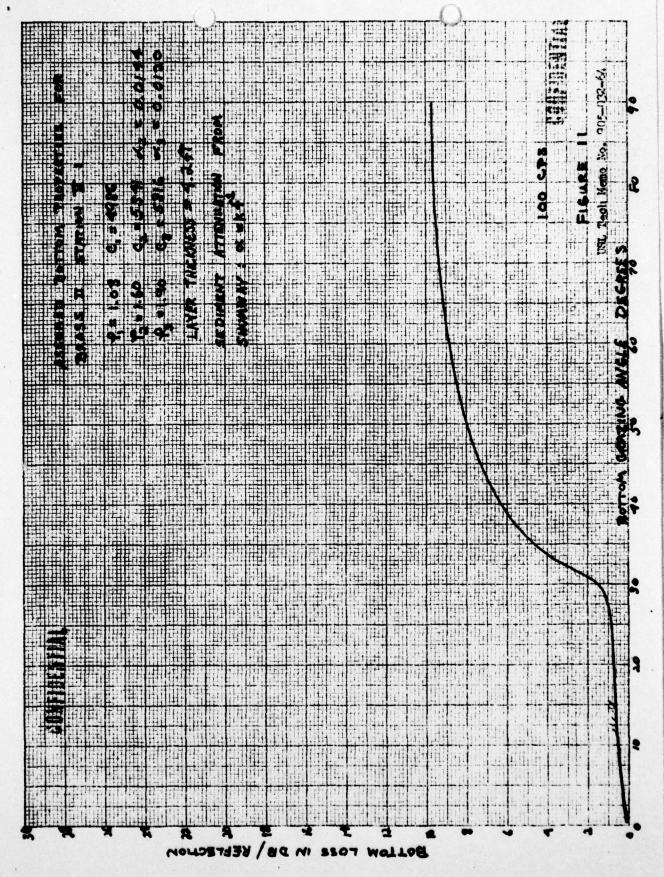


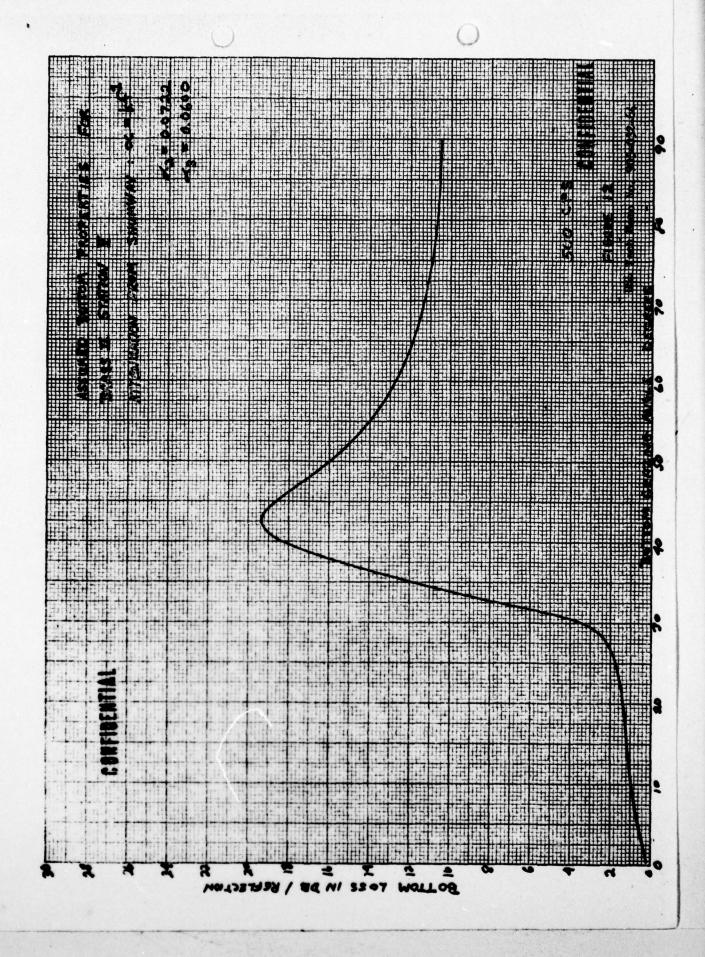


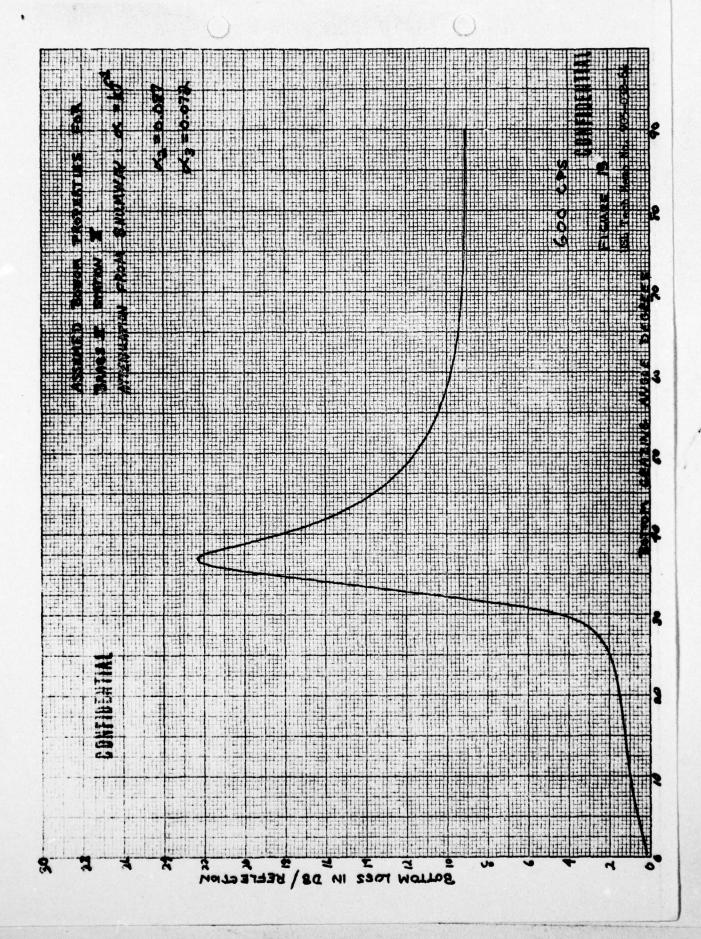


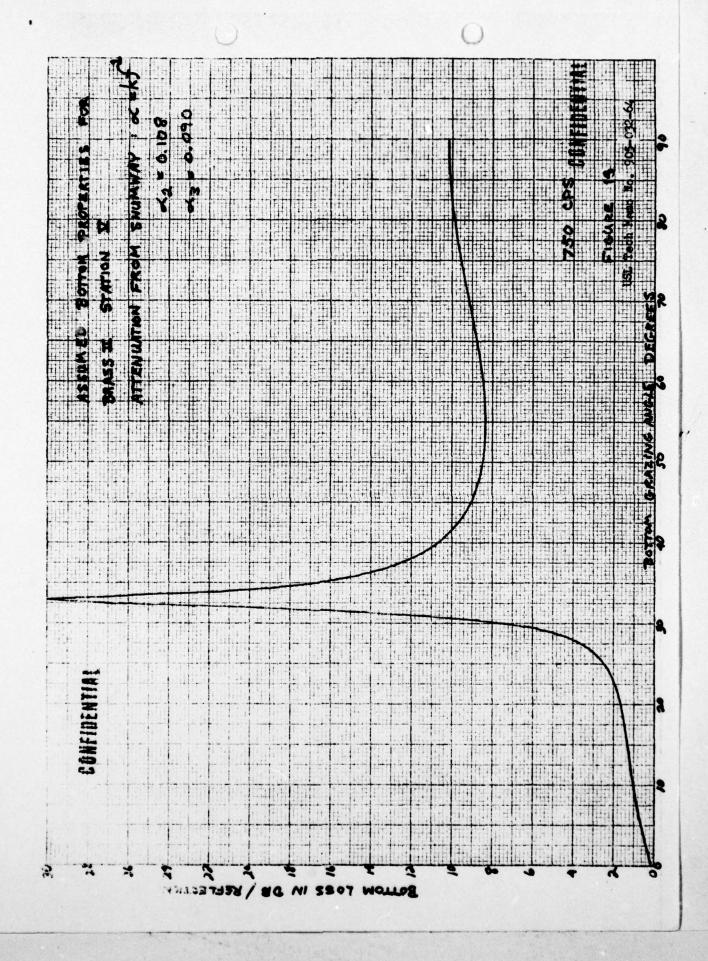


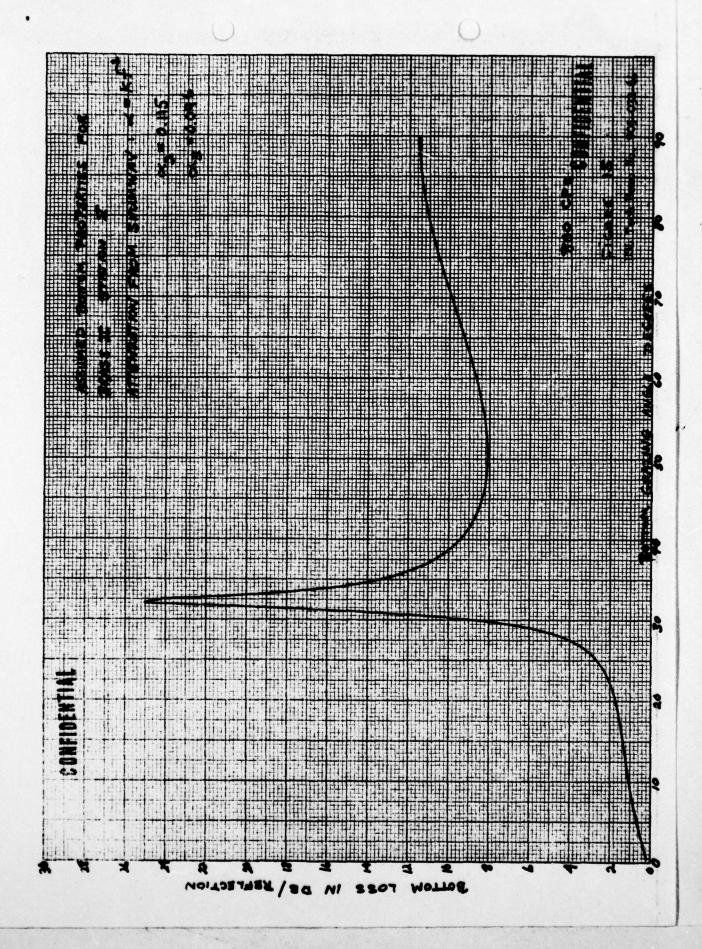


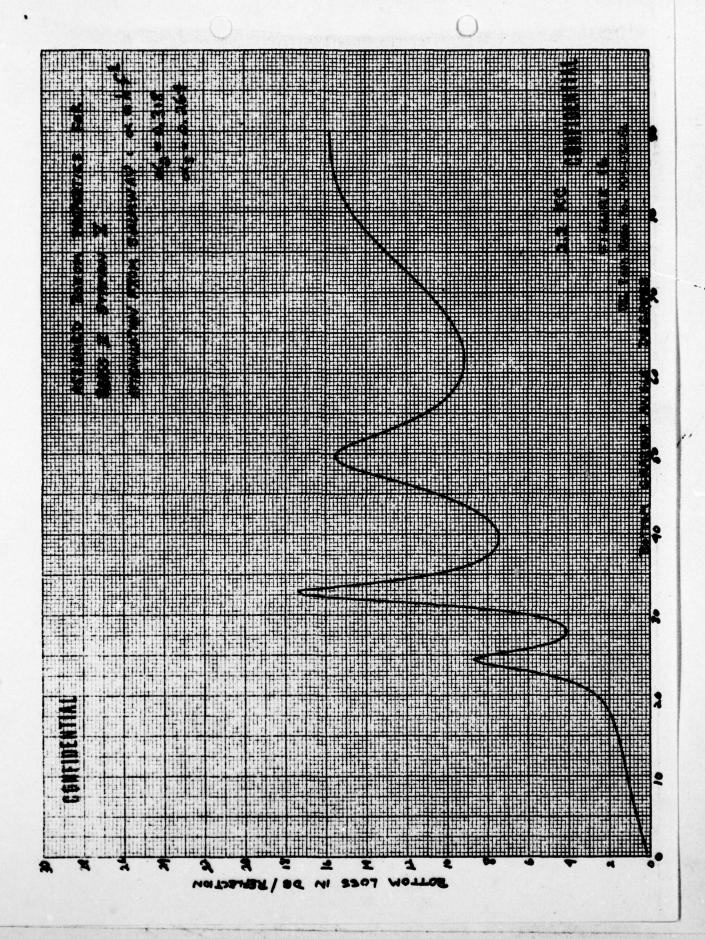


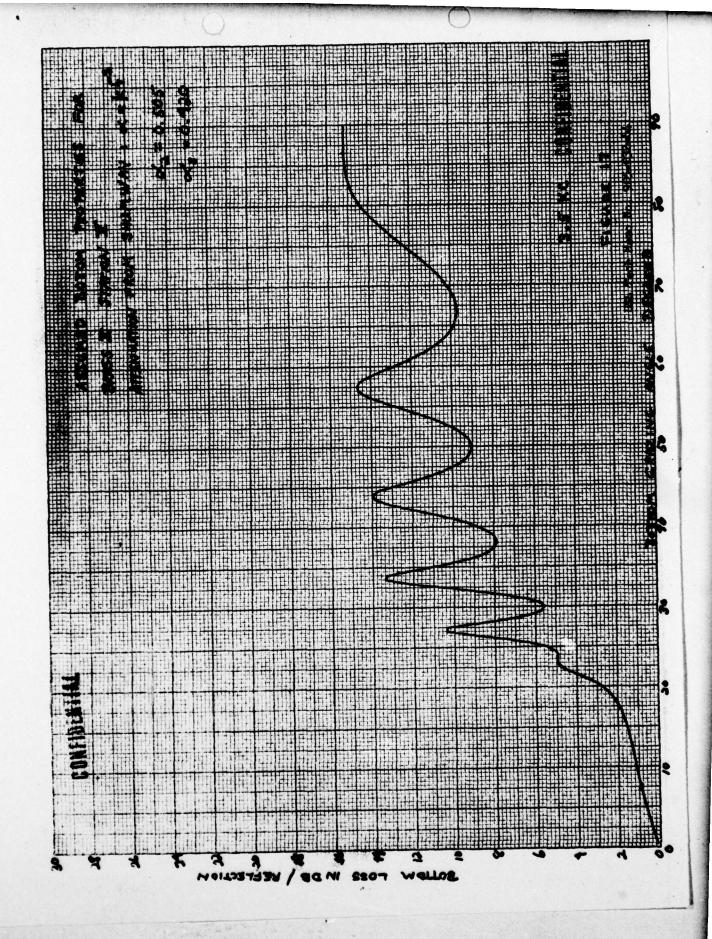


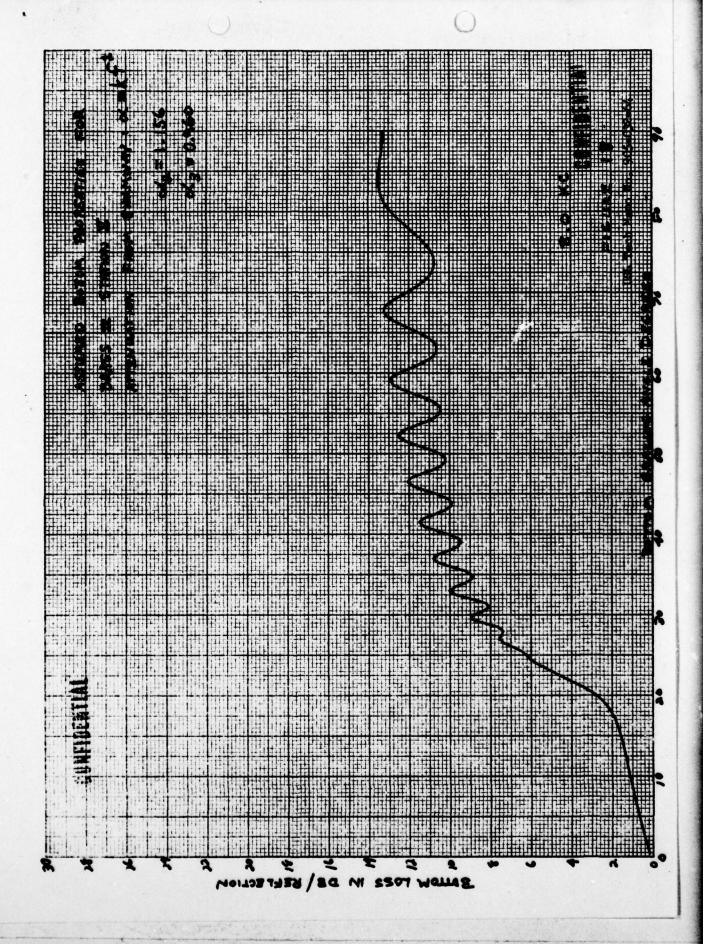


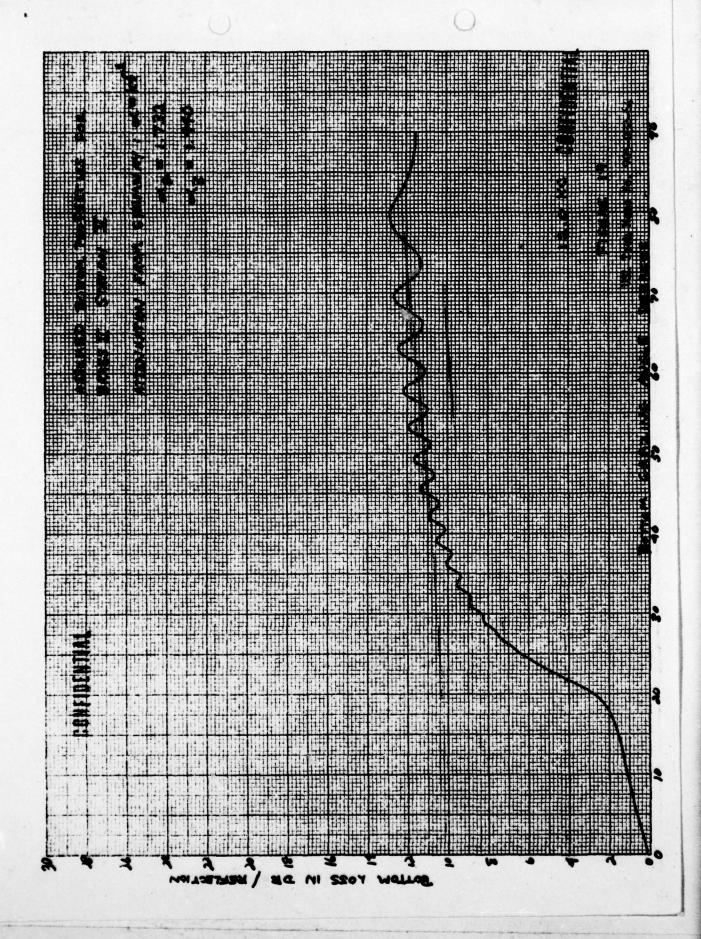








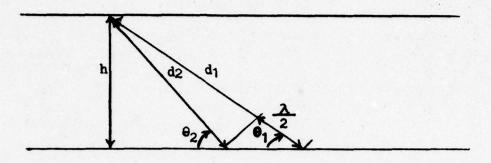




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APPENDIX A



$$\lambda = 1.18 \text{ ft}$$
 $\theta_1 = 30^{\circ}$ $\theta_2 = 32.5^{\circ}$ $d_1 = d_2 + \frac{\lambda}{2}$
 $\sin \theta_1 = \sin 30^{\circ} = \frac{h}{d_1} = \frac{h}{d_2 + \frac{\lambda}{2}}$

$$\sin \theta_2 = \sin 32.5^\circ = \frac{h}{d_2}$$

$$h = \frac{\sin 30^\circ}{\sin 32.5^\circ} \cdot h + \frac{1.18}{2} \cdot \sin 30^\circ$$

$$h = \frac{.5000}{.5373} \quad h = \frac{1.18}{4}$$

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